The 9 Lives of Bleichenbacher's CAT: New Cache ATtacks on TLS Implementations

> **Eyal Ronen**, Robert Gillham, Daniel Genkin, Adi Shamir, David Wong and Yuval Yarom



Transport Layer Security (TLS)

- The most widely used cryptographic protocol
- Provides communication security (https, VPN, etc.)
 - TLS handshake is used for authentication and secure key exchange
 - TLS Record layer protects the communication
 - Allows for cryptographic agility using different cipher suites

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 - Multiple vulnerabilities in different layers of the protocol

	Data Conv.	PKCS #1 v1.5 Verification	TLS Mitigation
OpenSSL	М	М	
OpenSSL API	Μ	\mathbf{FFTT}	
Amazon s2n		\mathbf{FFFT}	
MbedTLS	Ι	$FFTT, FFFT^*$	
Apple CoreTLS			FFTT, FFFT, FFFF
Mozilla NSS	Μ	M, TTTT, FTTT $*$	FFFF
WolfSSL	Μ	M, FFTT	FFTT, FFFF
GnuTLS	Μ	M, TTTT, FFTT	FFTT, FFFT
BoringSSL		Not Vulnerable	
BearSSL		Not Vulnerable	

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 - Cause modern client and server to use RSA KX
 - Novel parallelization technique for RSA padding oracle attacks
 - Break 100% of the connections to servers that use vulnerable implementations
 - Works also if client doesn't support RSA KX

RSA Encryption

$$N = p \cdot q$$
 (p,q) are primes
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 - There are several real world problems

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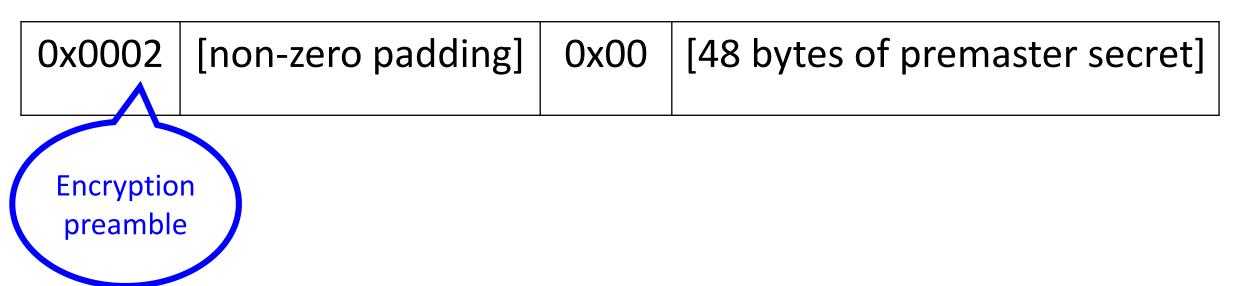
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- Assume encryption of Yes/No value 0 or 1
 - Vulnerable to dictionary attack
 - Easy to detect repetitions
 - m should be random

- Used to pad and encrypt the plaintext
 - Pads the plaintext to the RSA public key length
 - Adds randomization

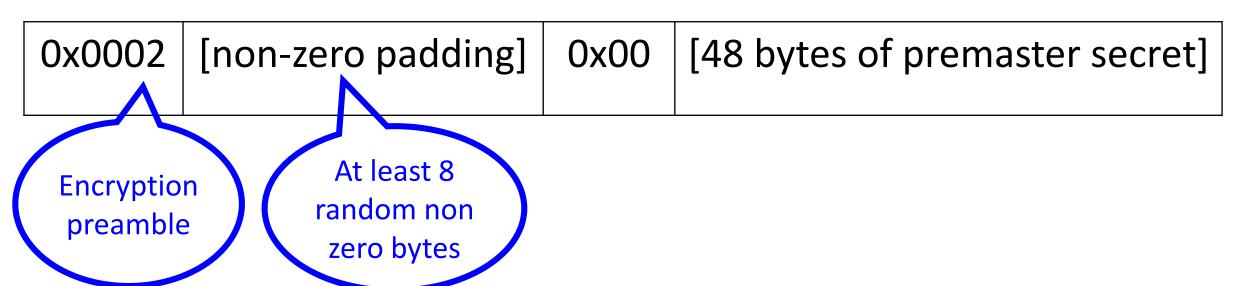
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0x0002	[non-zero padding]	0x00	[48 bytes of premaster secret]
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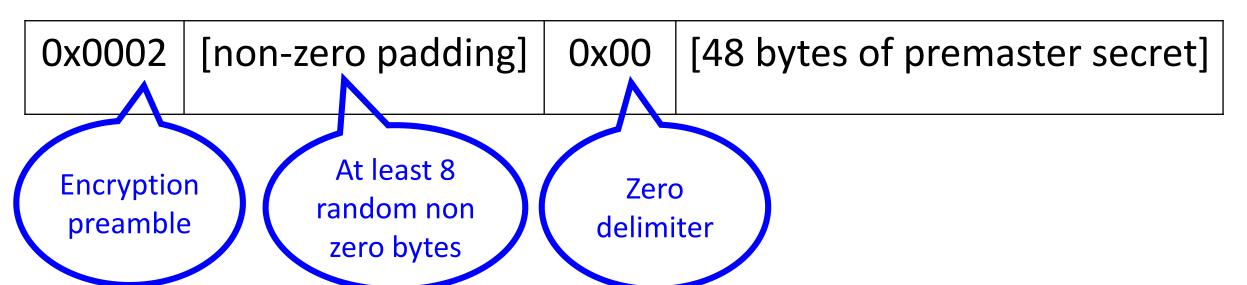
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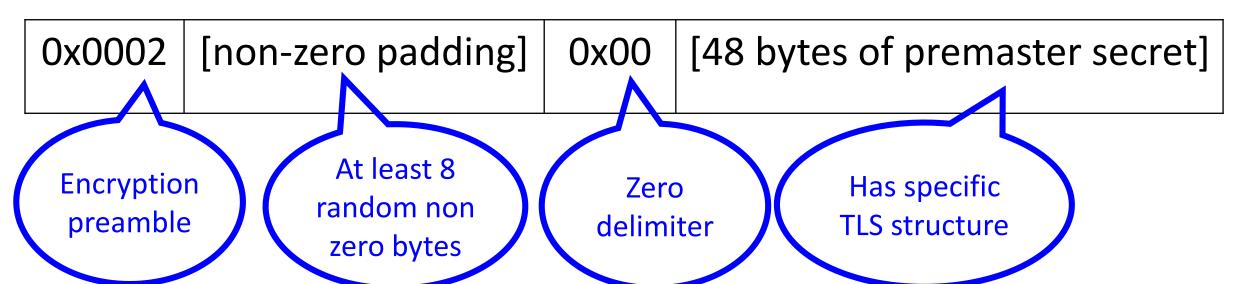
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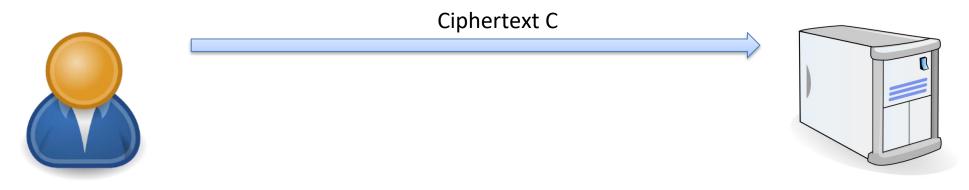


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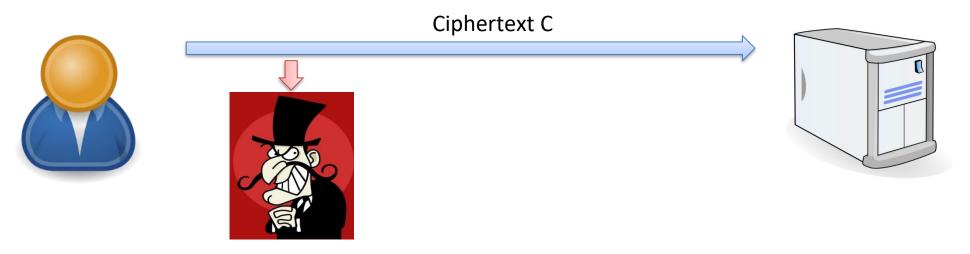


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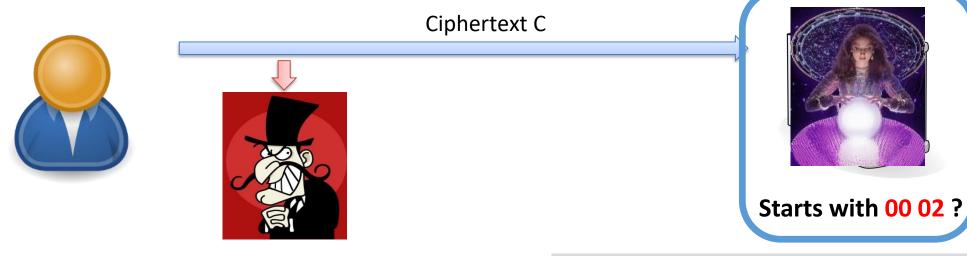
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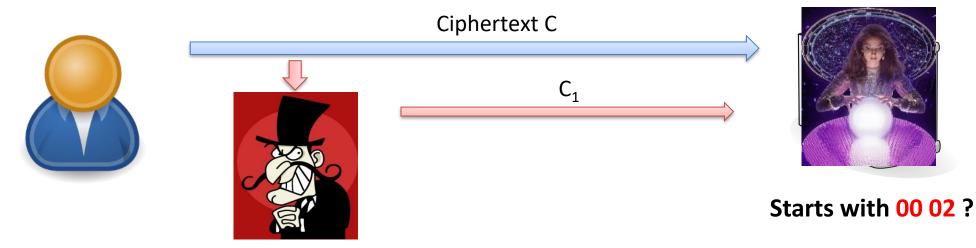
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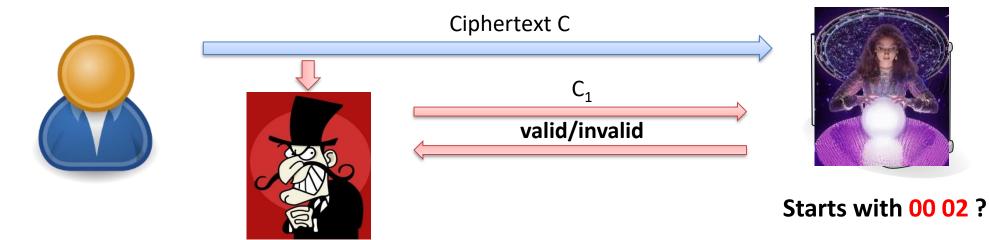


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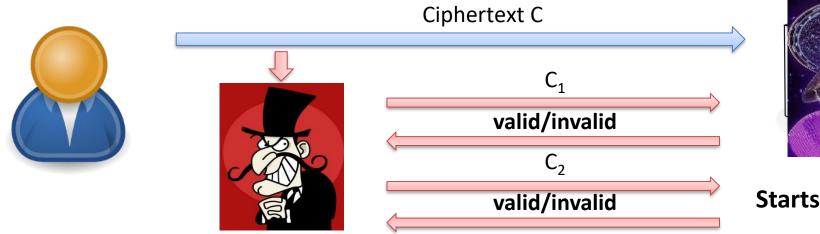
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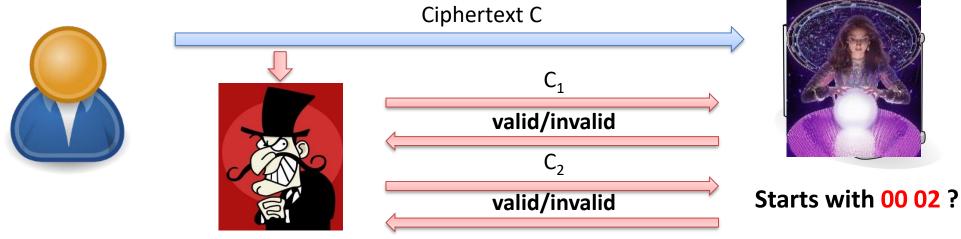
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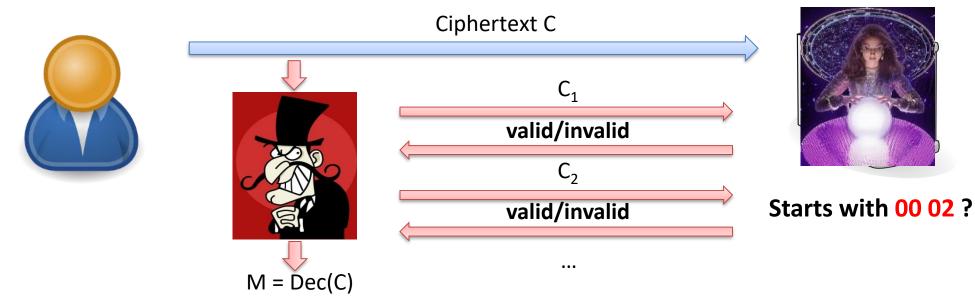
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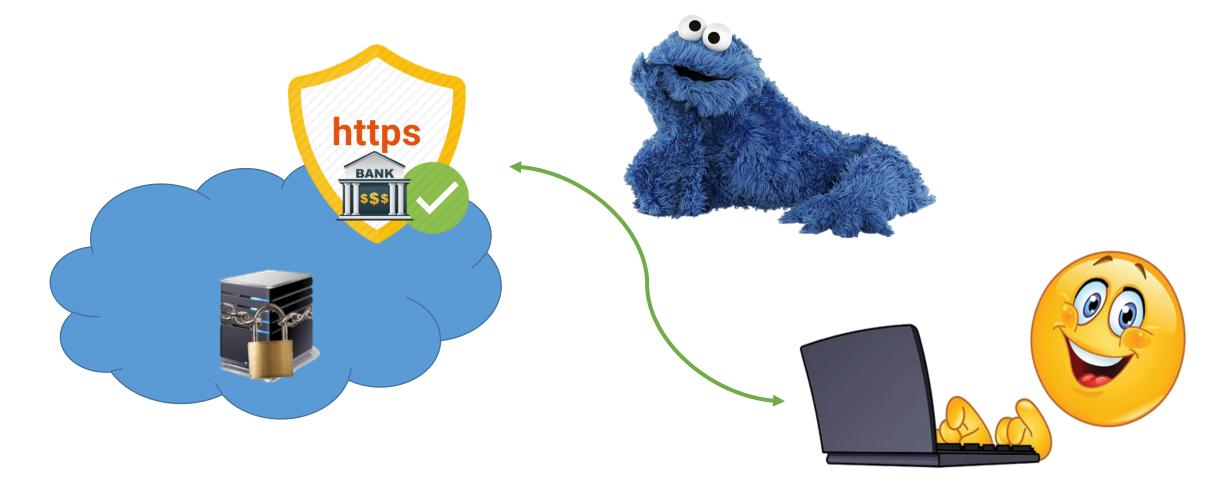
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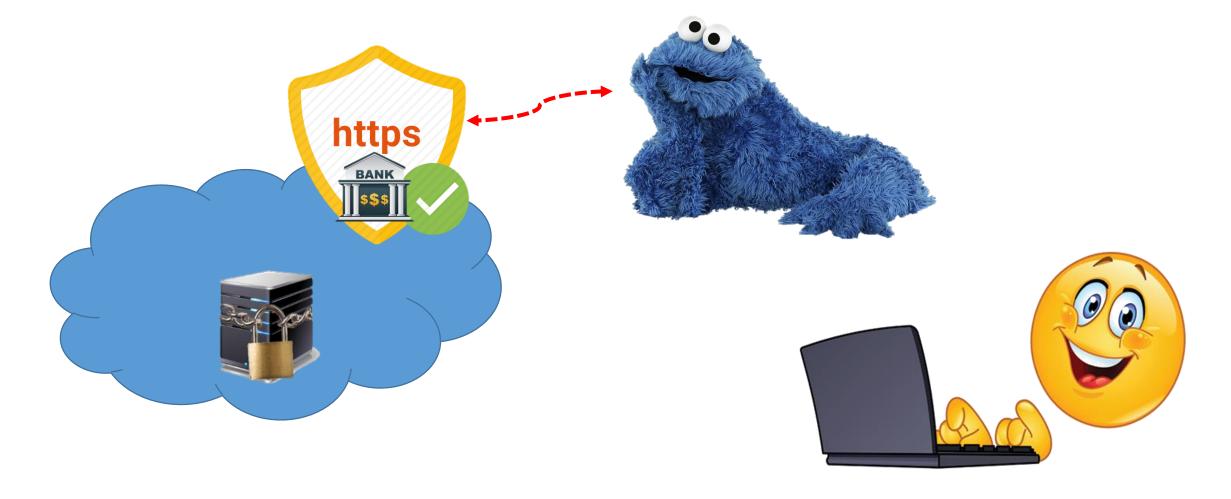


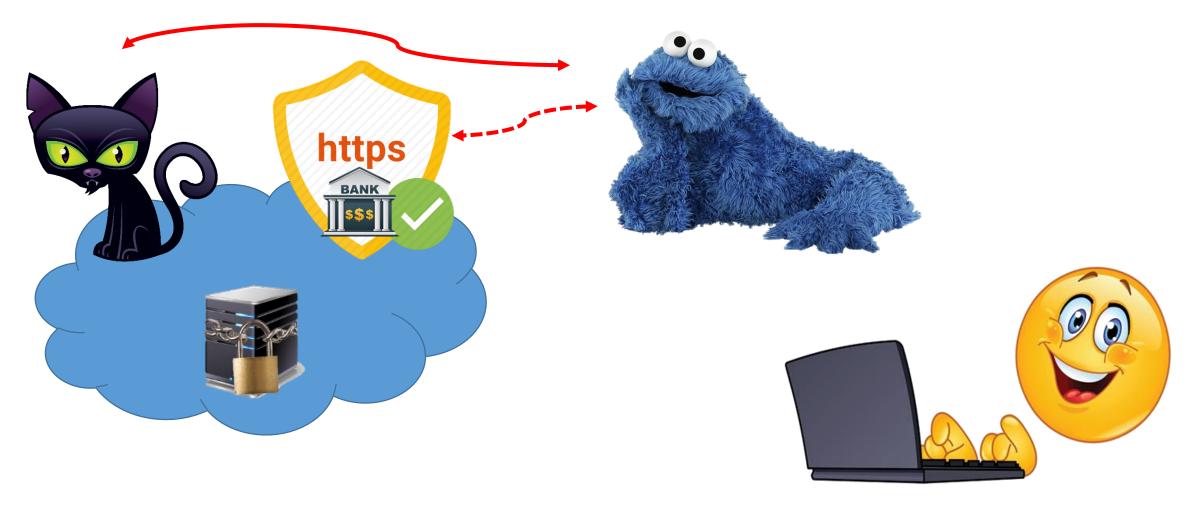


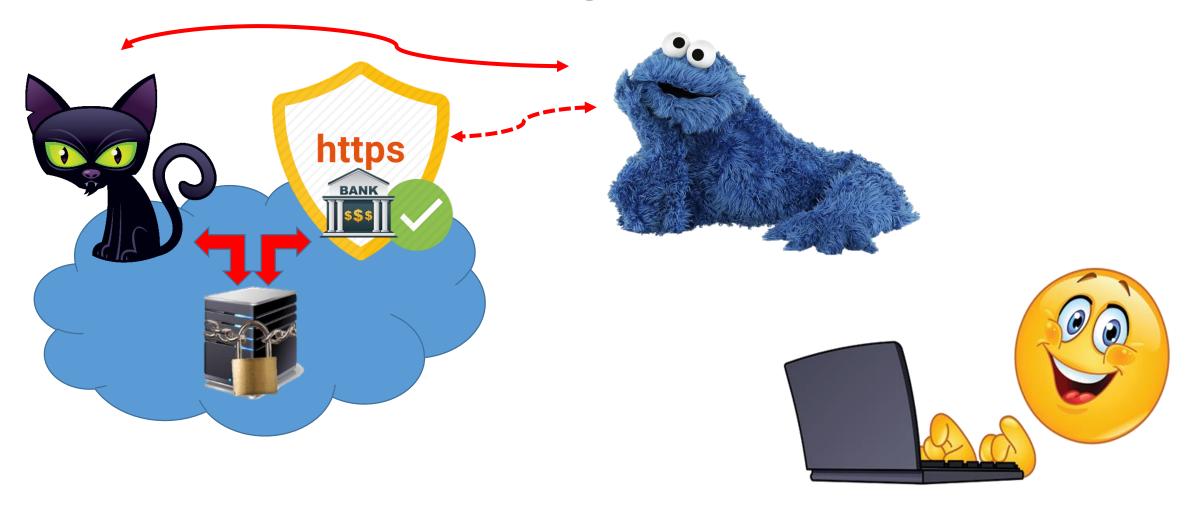














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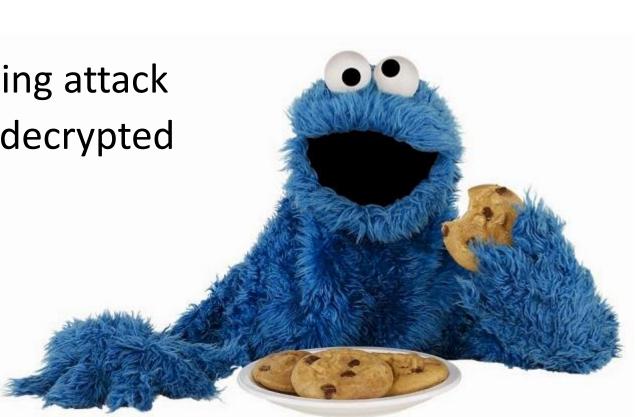
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- The user will notice the delay

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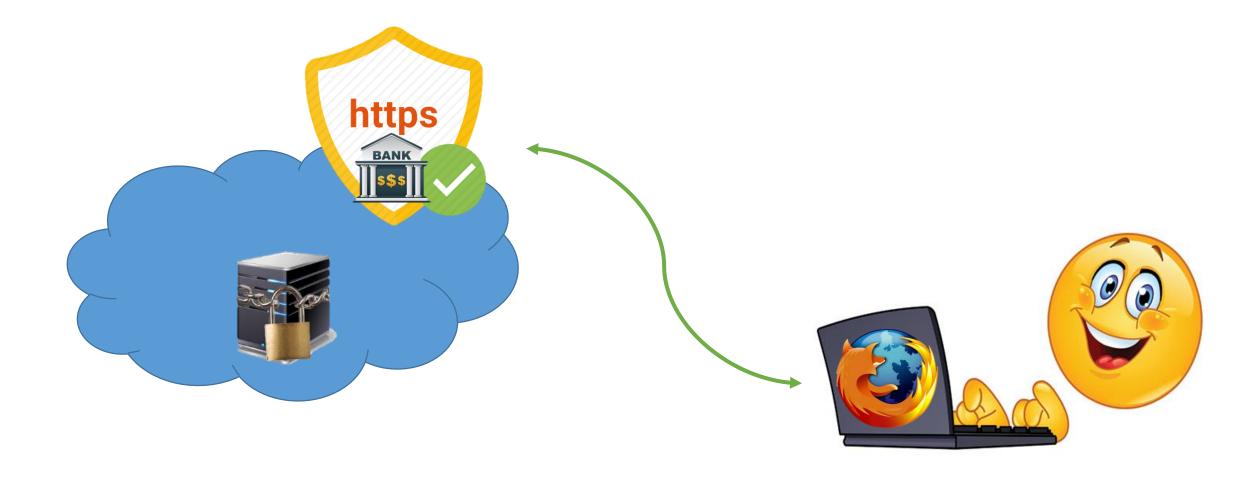
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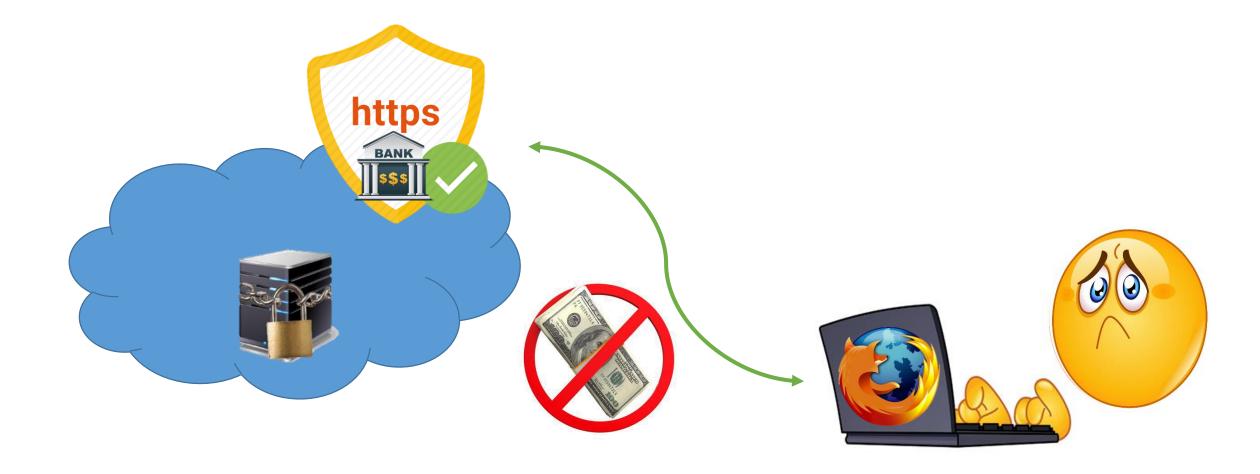
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- Need at least 2048 sequential adaptive queries
 - Have time for < 600

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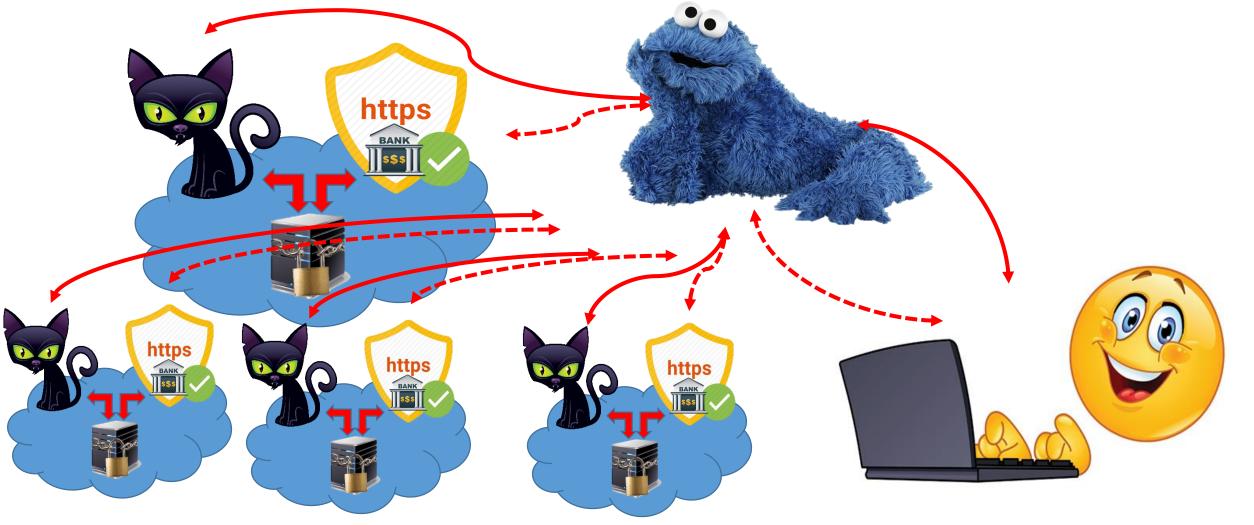
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 - Tradeoff between the total number of queries and number of sequential queries
 - Allows us to finish attack in less than 30 seconds

Attack Scenario Parallel: MiTM + Cache timing side channel



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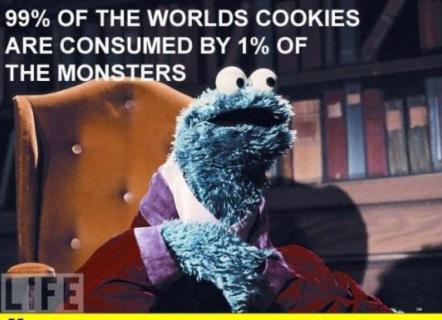


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- Parallelization for downgrade attack
 - PoC for Manger parallelization using LLL



OCCUPY SESAME STREET

Disclosure

- We disclosed to:
 - OpenSSL, Mozilla's NSS, Amazon's s2n, Apple's CoreTLS, mbed TLS, wolfSSL, GnuTLS
- All have patched their code, with various levels of success
- Lots of stories...

Recommendation

- Many recommendations for several layers of mitigations in the paper
 - Bottom line **Don't use RSA KX**
 - It has failed us too many times



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 - Bottom line **Don't use RSA KX**
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- If you really really really must
 - Separate your certificates!



Questions?

- Paper website <u>https://cat.eyalro.net</u>
- Any questions?

