The 9 Lives of Bleichenbacher's CAT: New Cache ATtacks on TLS Implementations

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UNIVERSITY OF MICHIGAN

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DATA 61

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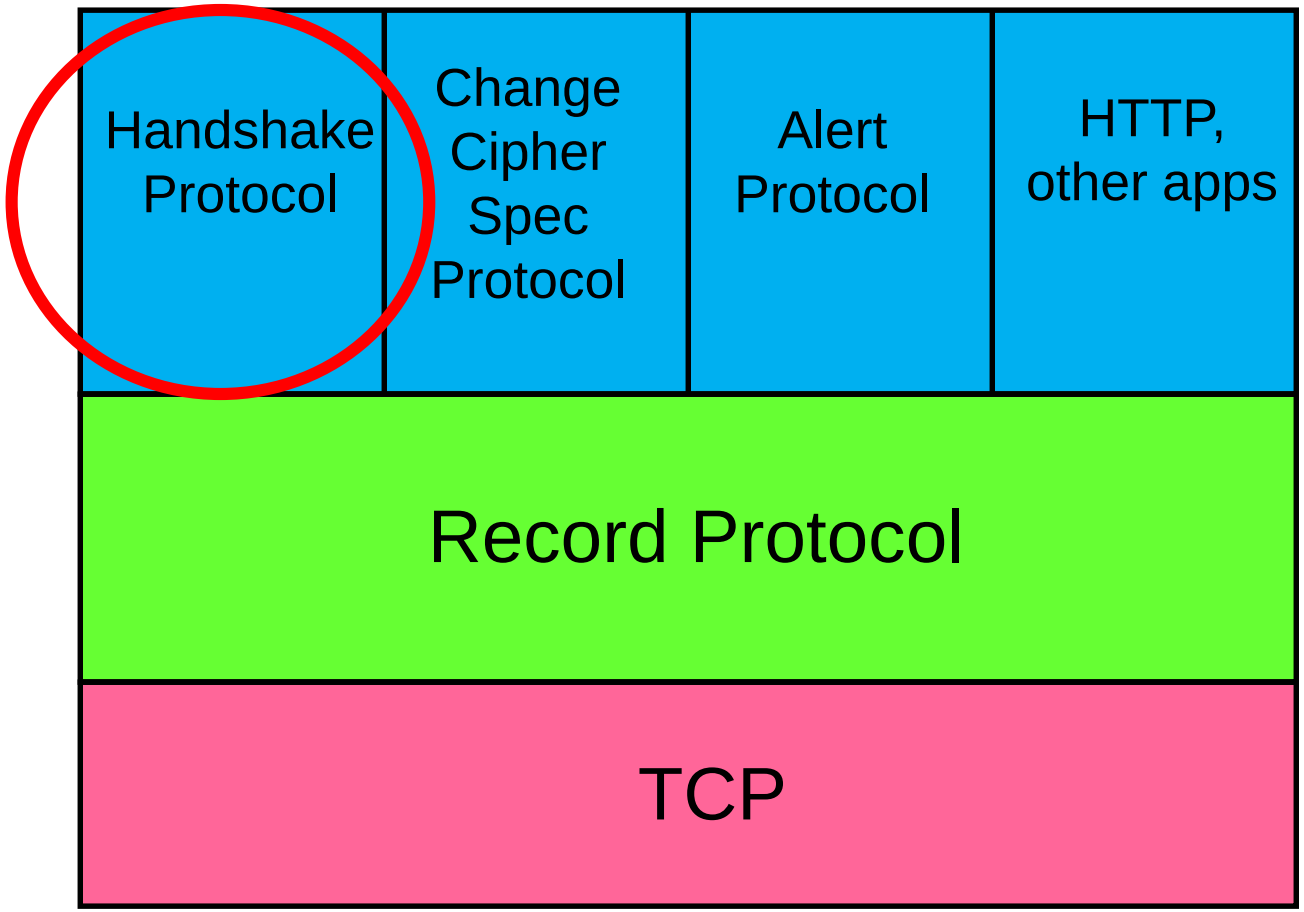
Talk Outline

1. Background
2. Attacking TLS and downgrade attack
3. RSA padding attack parallelization using CVP
4. Cache attacks on RSA padding
5. Conclusions

Transport Layer Security (TLS)

- The most widely used cryptographic protocol
- Provides communication security (https, VPN, etc.)
  - TLS handshake is used for authentication and secure key exchange
  - TLS Record layer protects the communication
  - Allows for cryptographic agility using different cipher suites

Transport Record Layer



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  - Better alternatives now available (e.g. Ephemeral ECDH)
  - Supported for backwards compatibility

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	Data Conv.	PKCS #1 v1.5 Verification	TLS Mitigation
OpenSSL	M	M	
OpenSSL API	M	FFTT	
Amazon s2n		FFFT	
MbedTLS	I	FFTT, FFFT*	
Apple CoreTLS			FFTT, FFFT, FFFF
Mozilla NSS	M	M, TTTT, FTTT*	FFFF
WolfSSL	M	M, FFTT	FFTT, FFFF
GnuTLS	M	M, TTTT, FFTT	FFTT, FFFT
BoringSSL		*Not Vulnerable*	
BearSSL		*Not Vulnerable*	

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- We show the feasibility of MiTM downgrade attack
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  - Assume cache attack against multiple TLS servers
  - Use BEAST to boost success probability
  - Break 100% of the connections that use vulnerable implantations

RSA Encryption

$$N = p \cdot q \qquad (p, q) \text{ are primes}$$
$$d \cdot e = 1 \mod \phi(N)$$
$$c = m^e \mod N$$
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  - There are several real world problems

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  - We need to make sure m is larger enough
- Assume I want to encrypt the answer to a Yes/No question – value 0 or 1
  - Vulnerable to dictionary attack
  - Easy to detect repetitions
  - We need to make sure m is random

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Encryption preamble

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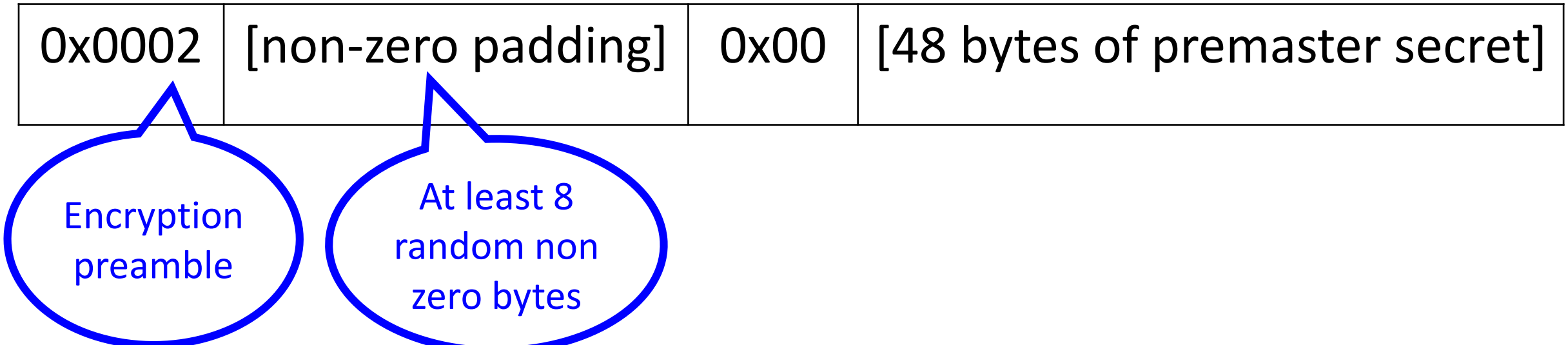

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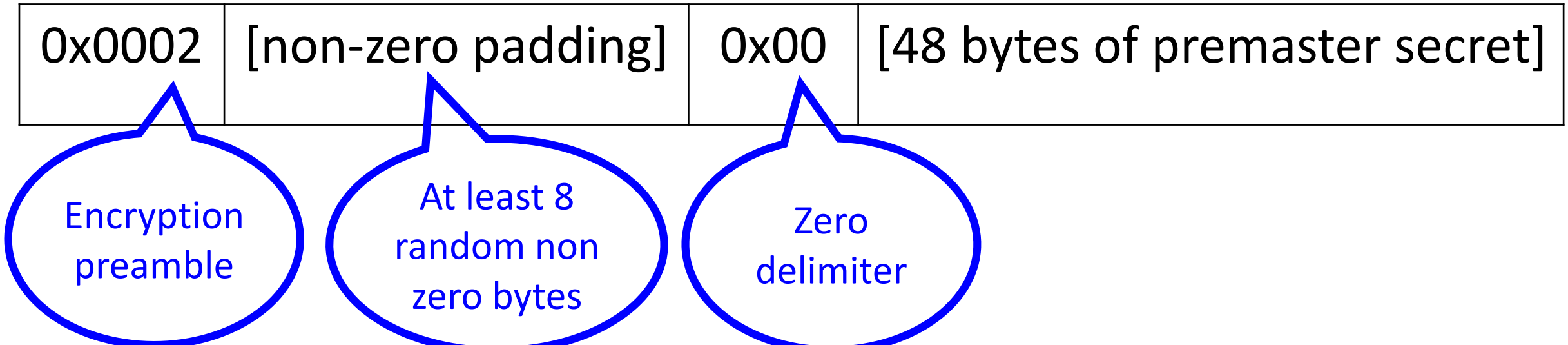

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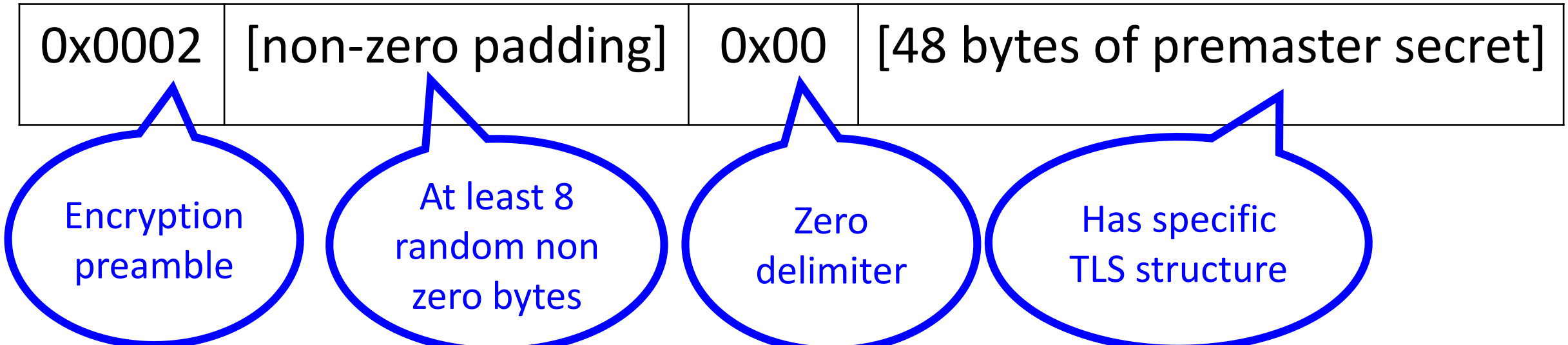

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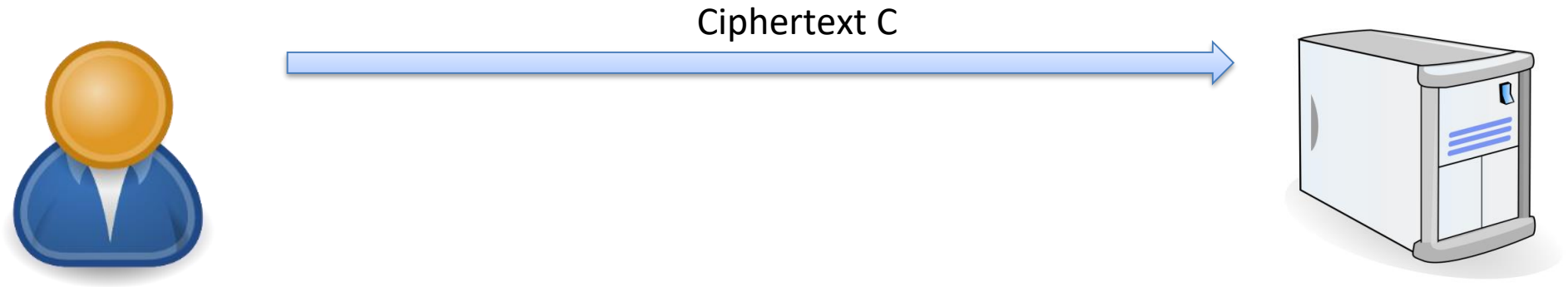

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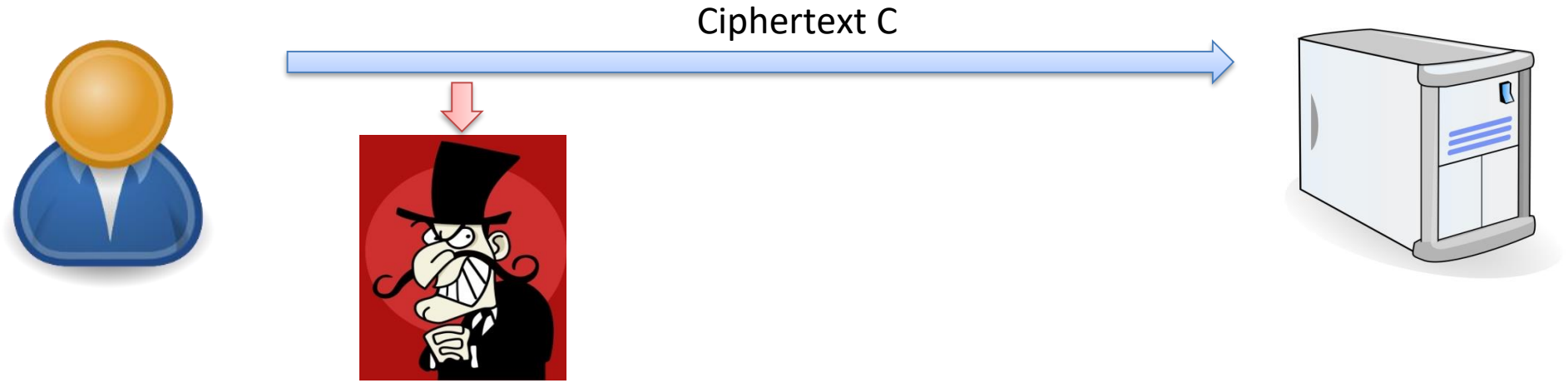

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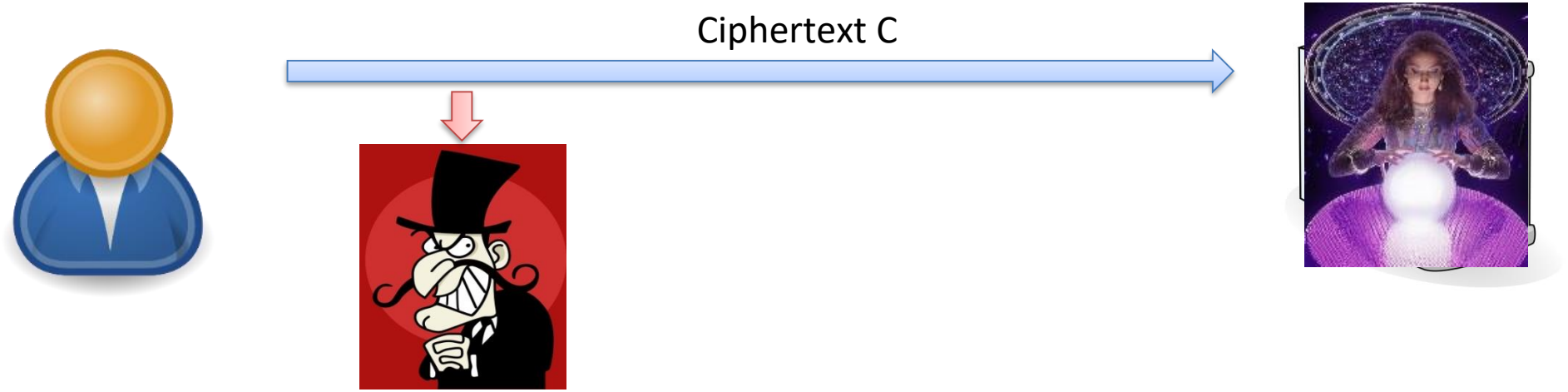

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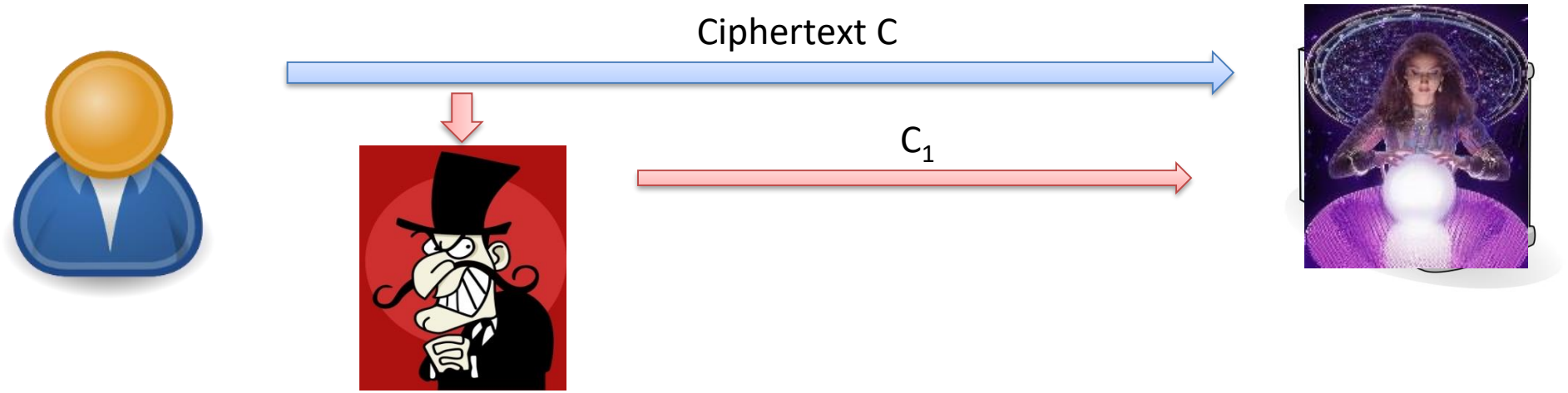

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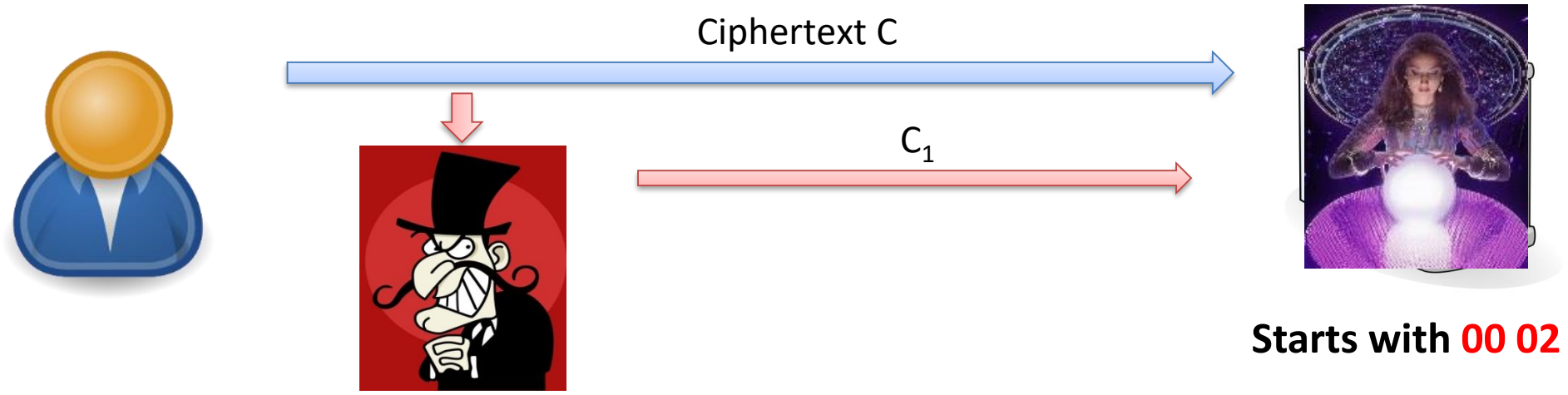

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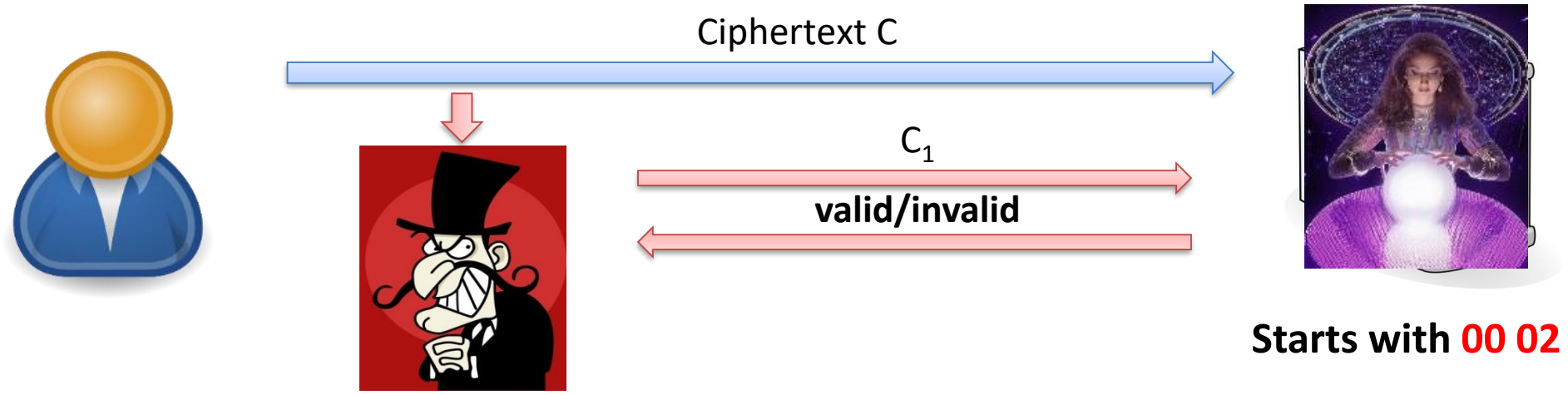

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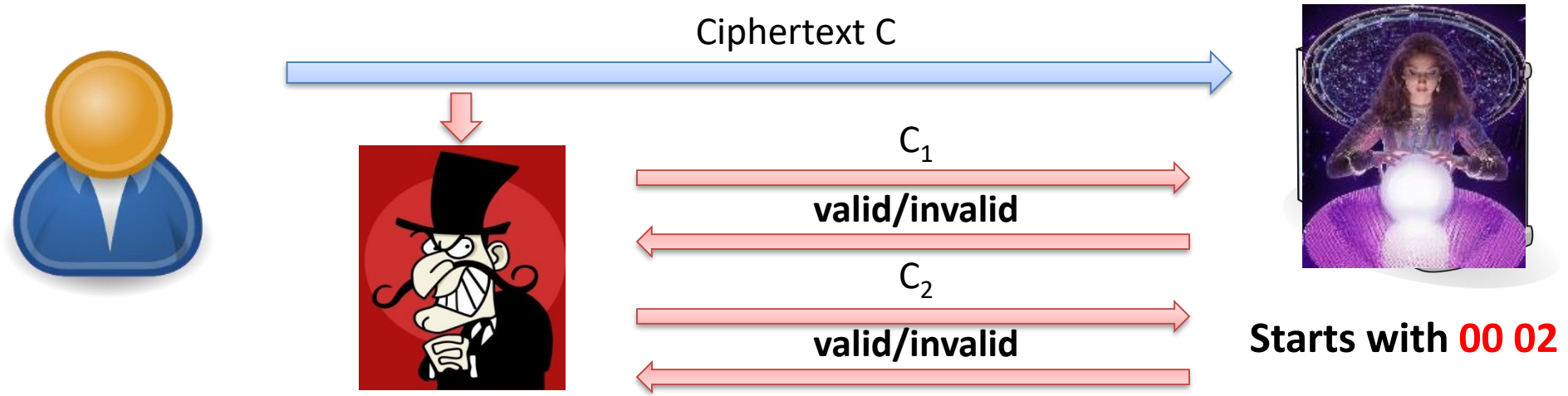

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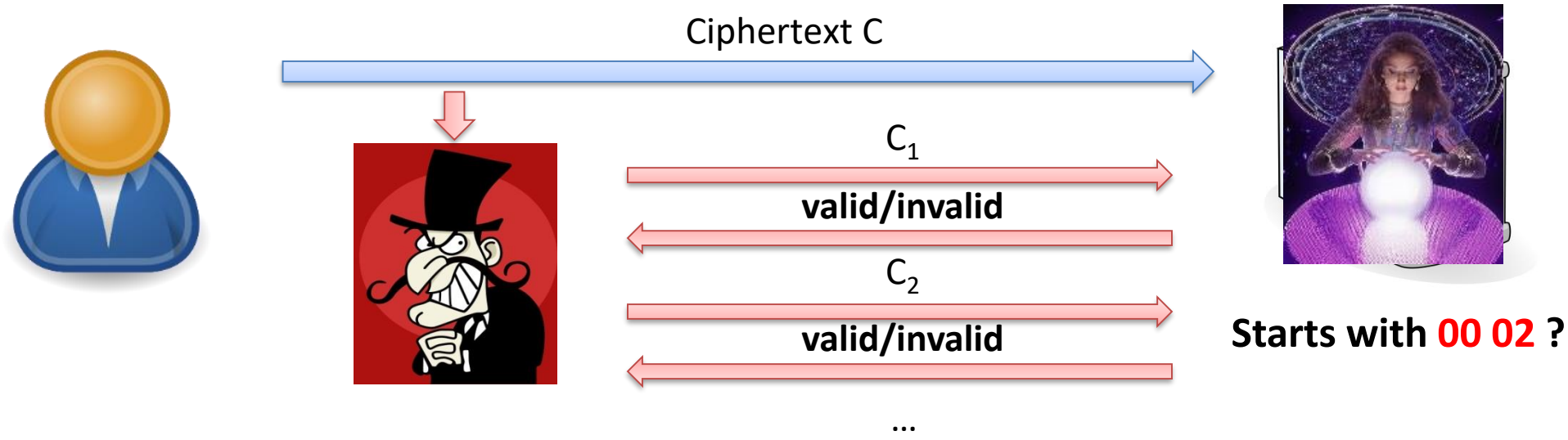

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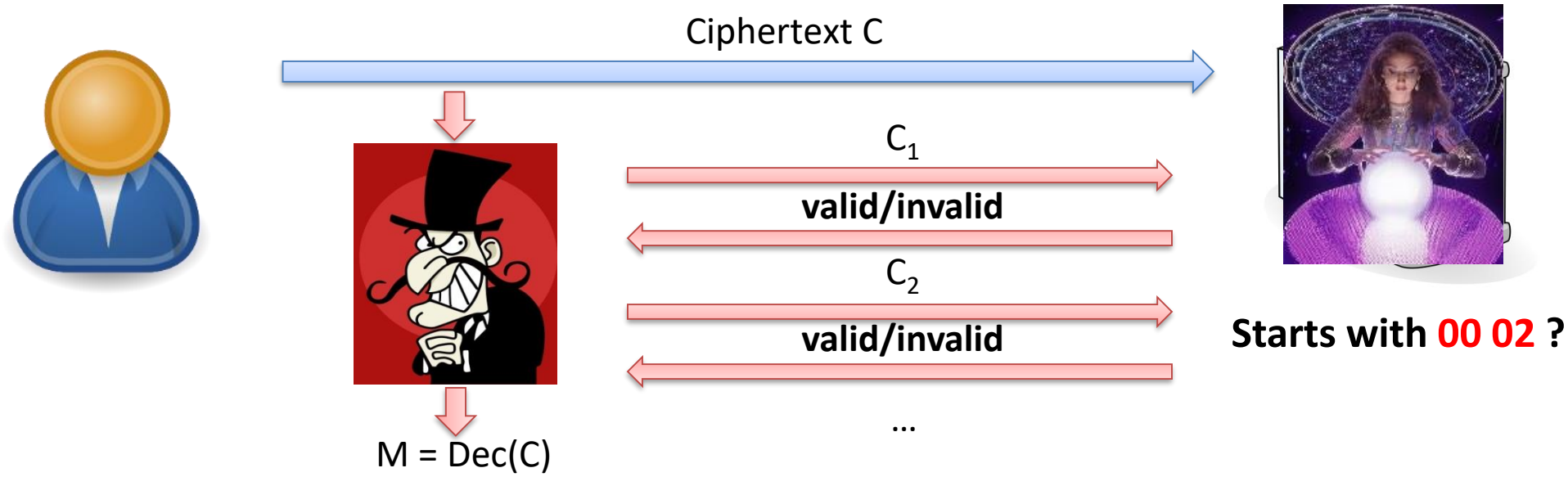

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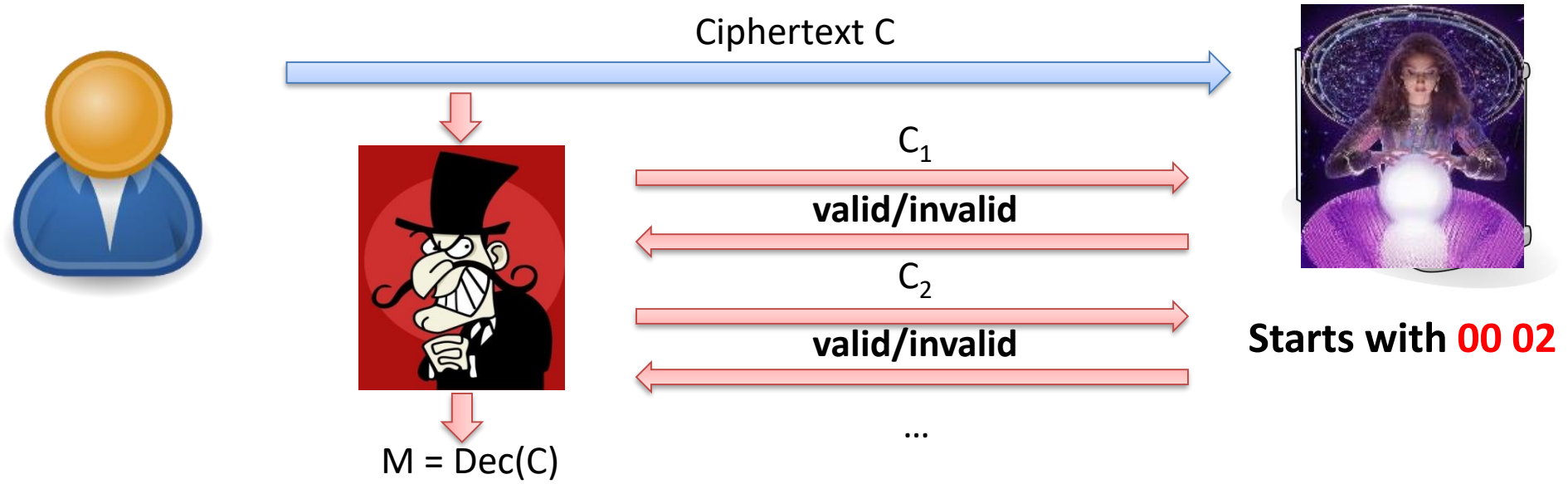

- Similar attack on PKCS #1 v2 OEAP padding scheme [Manger 2001]

Bleichenbacher's Attack

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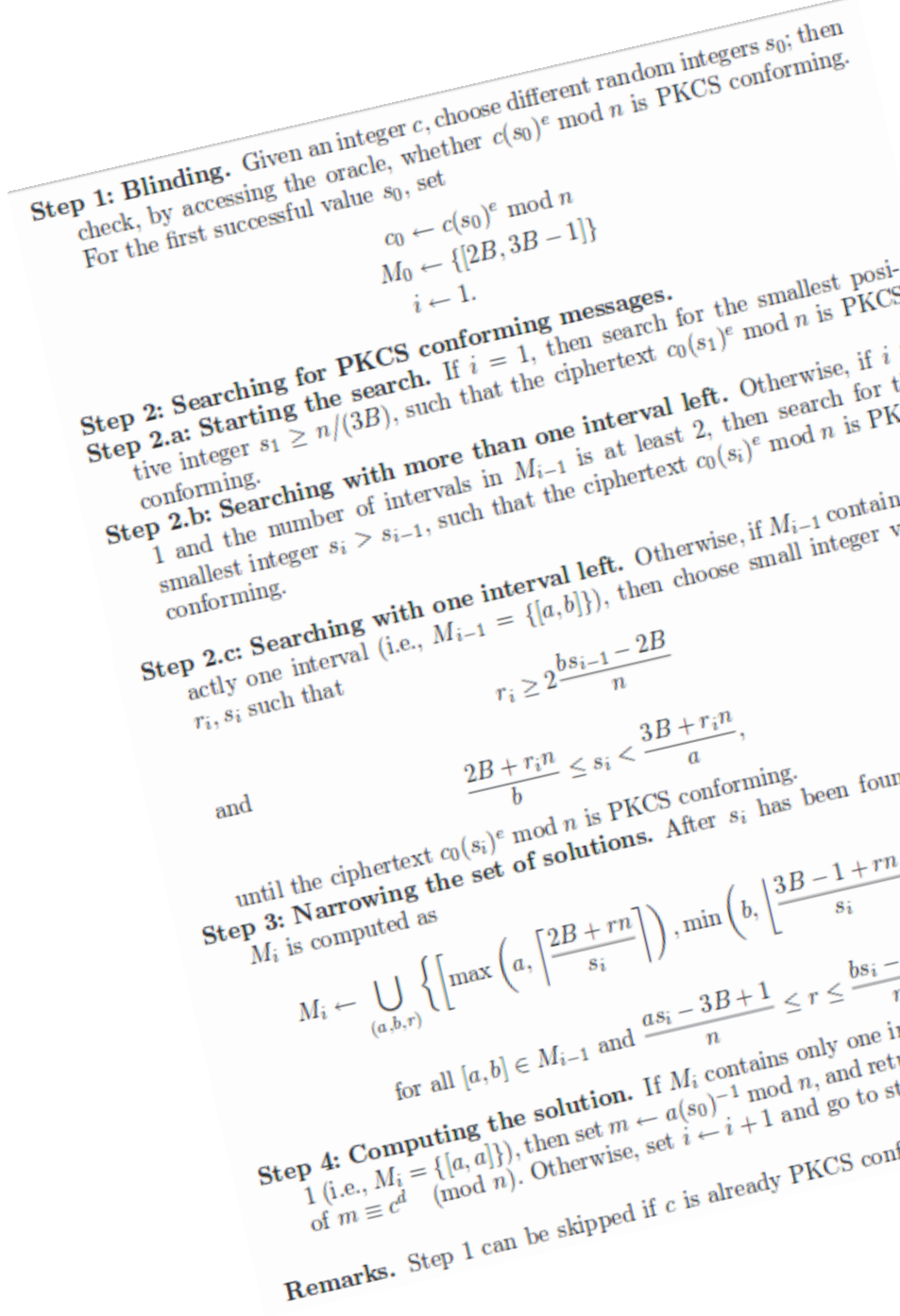

Step 1: Blinding. Given an integer c, choose different random integers s_0; then check, by accessing the oracle, whether $c(s_0)^e \bmod n$ is PKCS conforming. For the first successful value s_0, set

$$c_0 \leftarrow c(s_0)^e \bmod n$$
$$M_0 \leftarrow \{[2B, 3B-1]\}$$
$$i \leftarrow 1.$$

Step 2: Searching for PKCS conforming messages.
Step 2.a: Starting the search. If $i = 1$, then search for the smallest positive integer $s_1 \geq n/(3B)$, such that the ciphertext $c_0(s_1)^e \bmod n$ is PKCS conforming.
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$$r_i \geq 2\frac{bs_{i-1} - 2B}{n}$$

and

$$\frac{2B + r_i n}{b} \leq s_i < \frac{3B + r_i n}{a},$$

until the ciphertext $c_0(s_i)^e \bmod n$ is PKCS conforming.
Step 3: Narrowing the set of solutions. After s_i has been foun M_i is computed as

$$M_i \leftarrow \bigcup_{(a,b,r)} \left\{ \left[\max\left(a, \left\lceil \frac{2B + rn}{s_i} \right\rceil\right), \min\left(b, \left\lfloor \frac{3B - 1 + rn}{s_i} \right.\right.\right.$$

for all $[a,b] \in M_{i-1}$ and $\frac{as_i - 3B + 1}{n} \leq r \leq \frac{bs_i -$
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Remarks. Step 1 can be skipped if c is already PKCS conf

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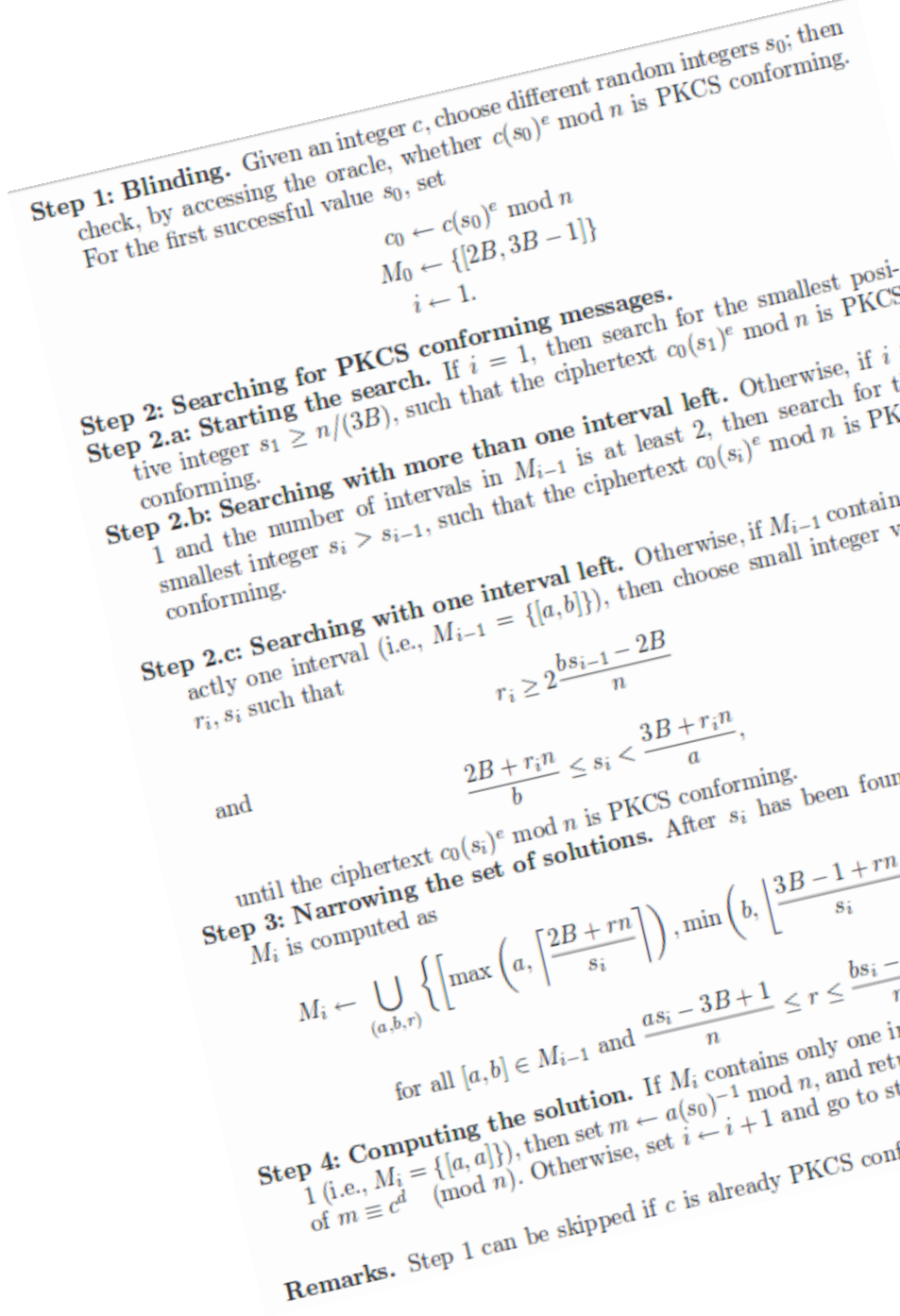

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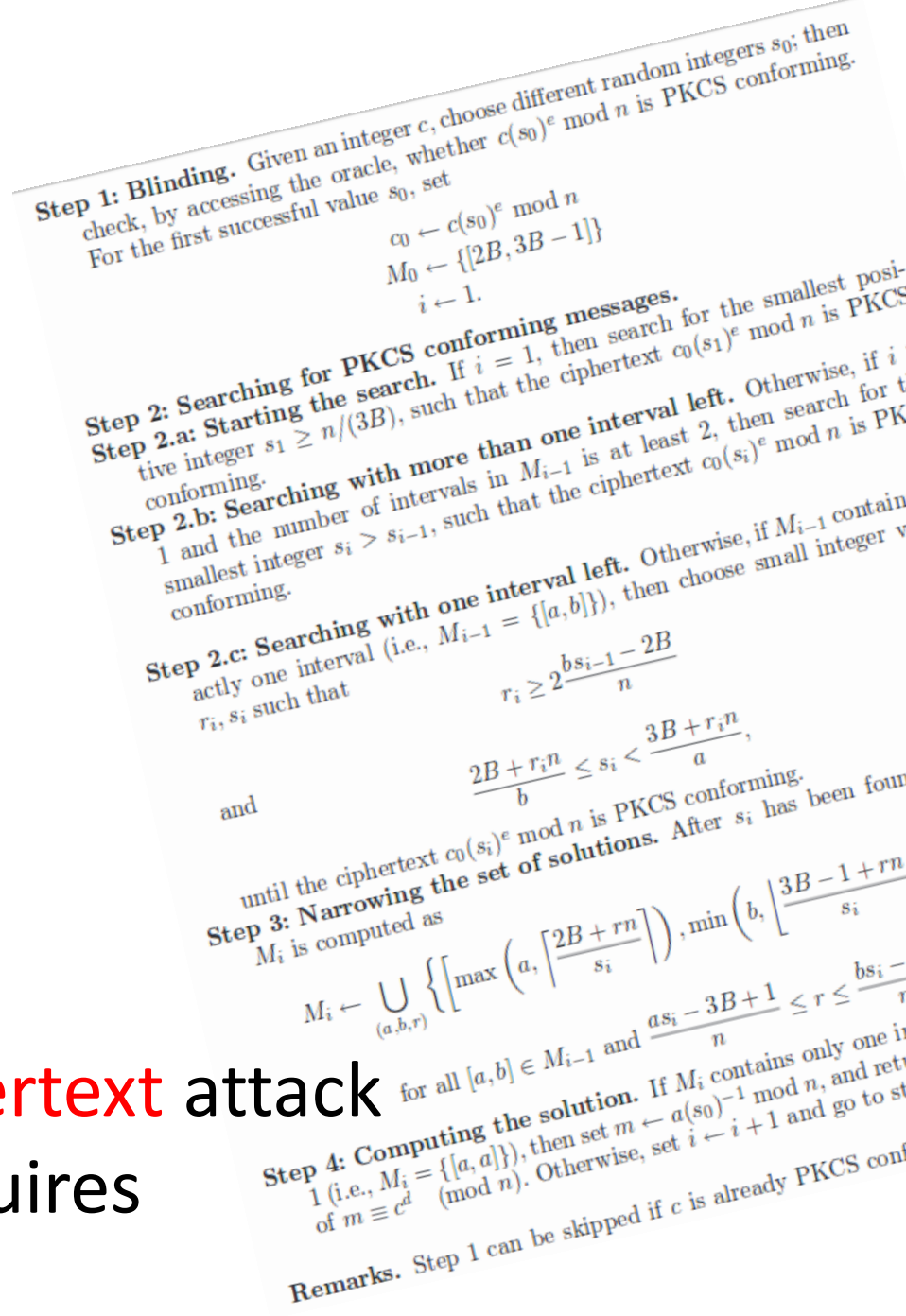
- For this talk we need to know
  - The attack is and adaptive chosen ciphertext attack
  - Decrypting 2048 bit RSA encryption requires at least 2048 sequential oracle queries



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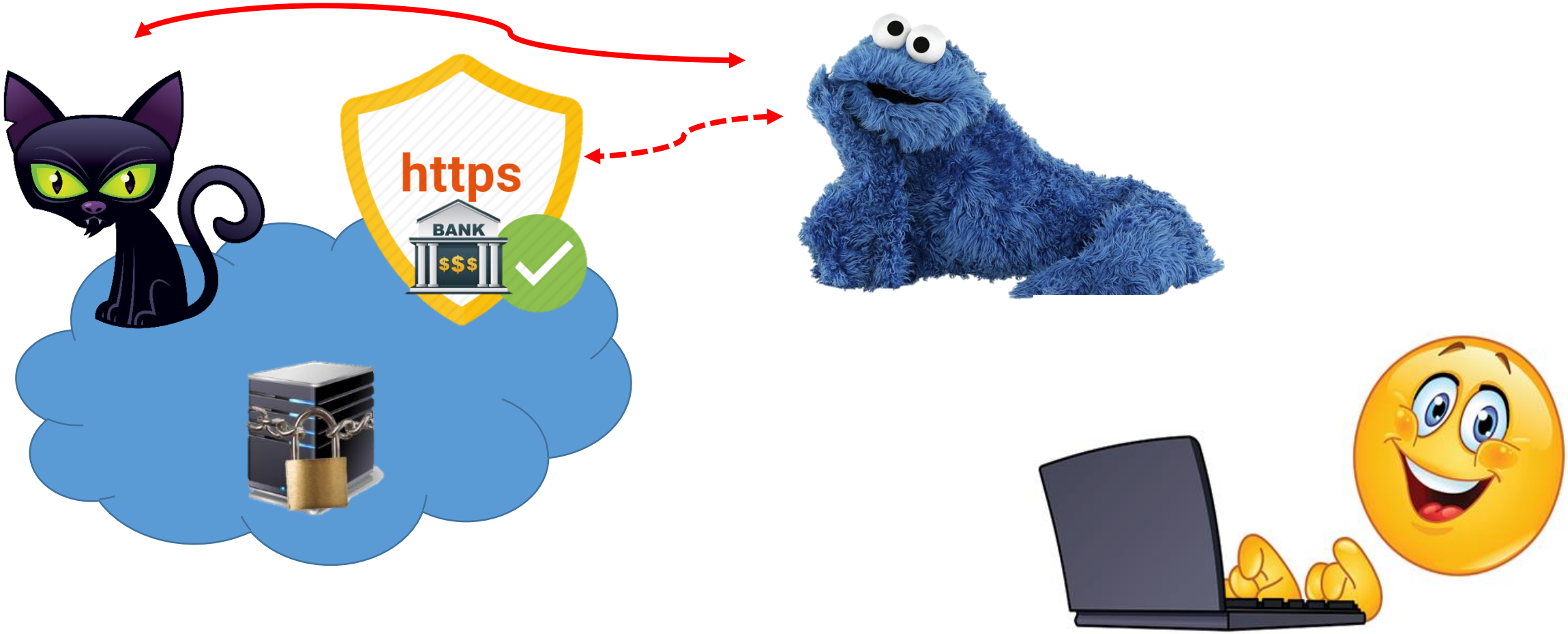

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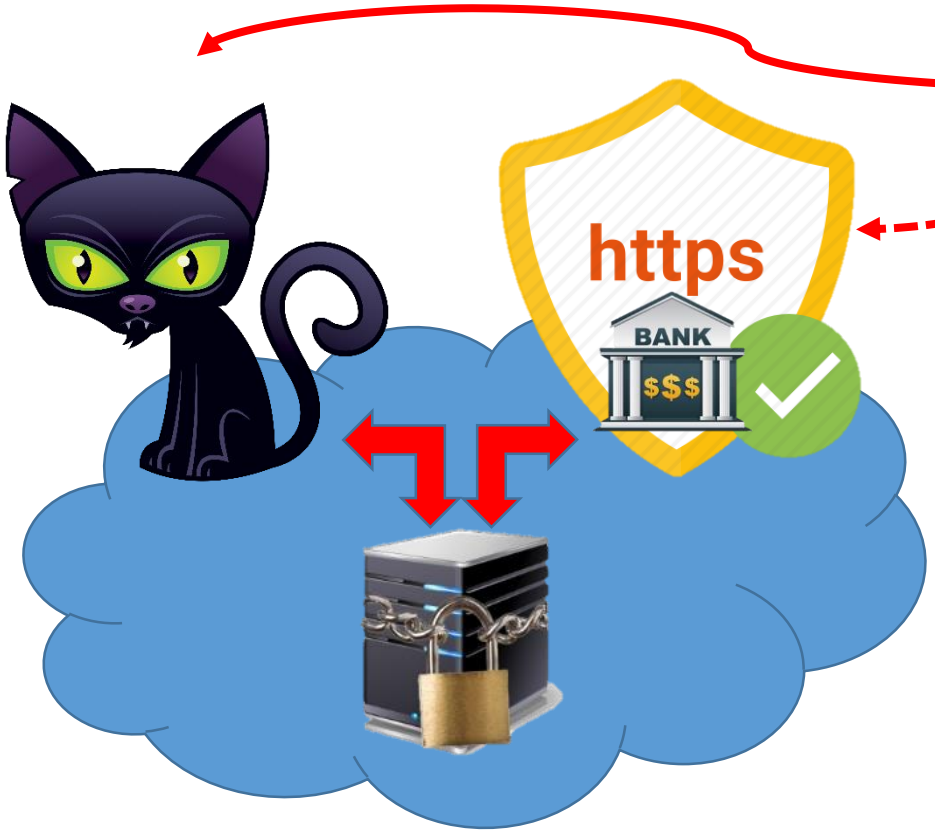

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  - Works also on TLS 1.3 [JSS 15]

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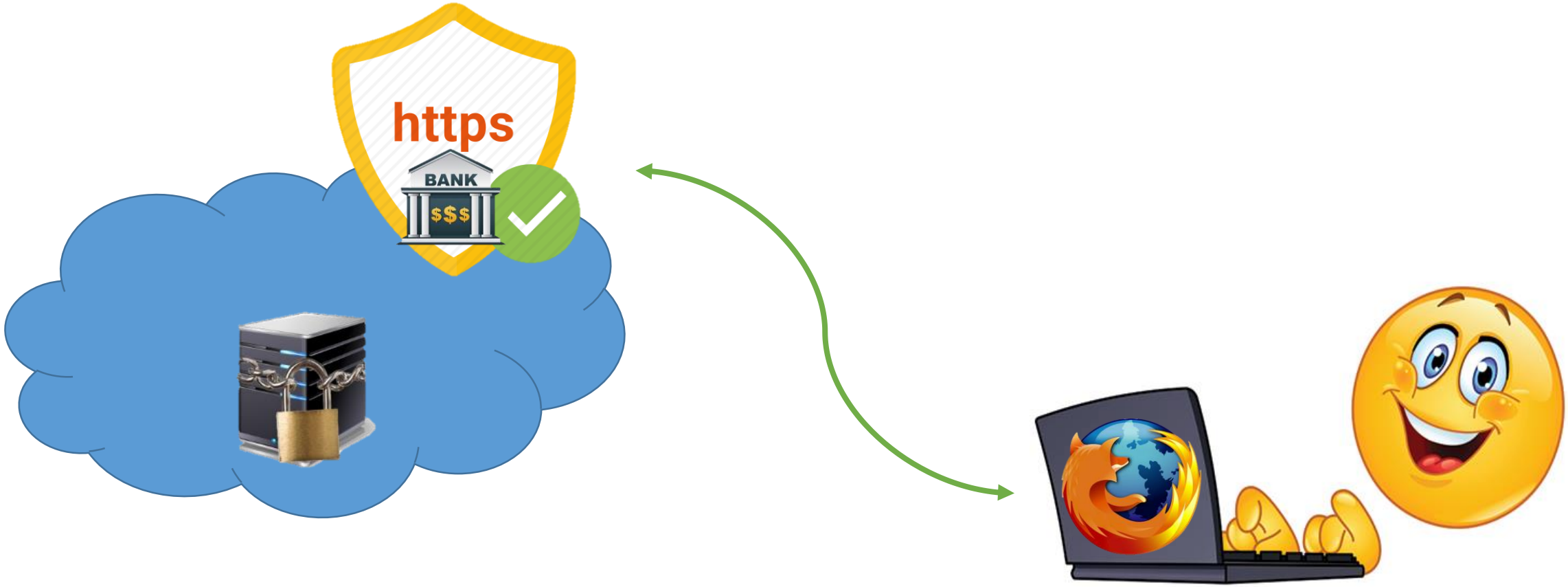

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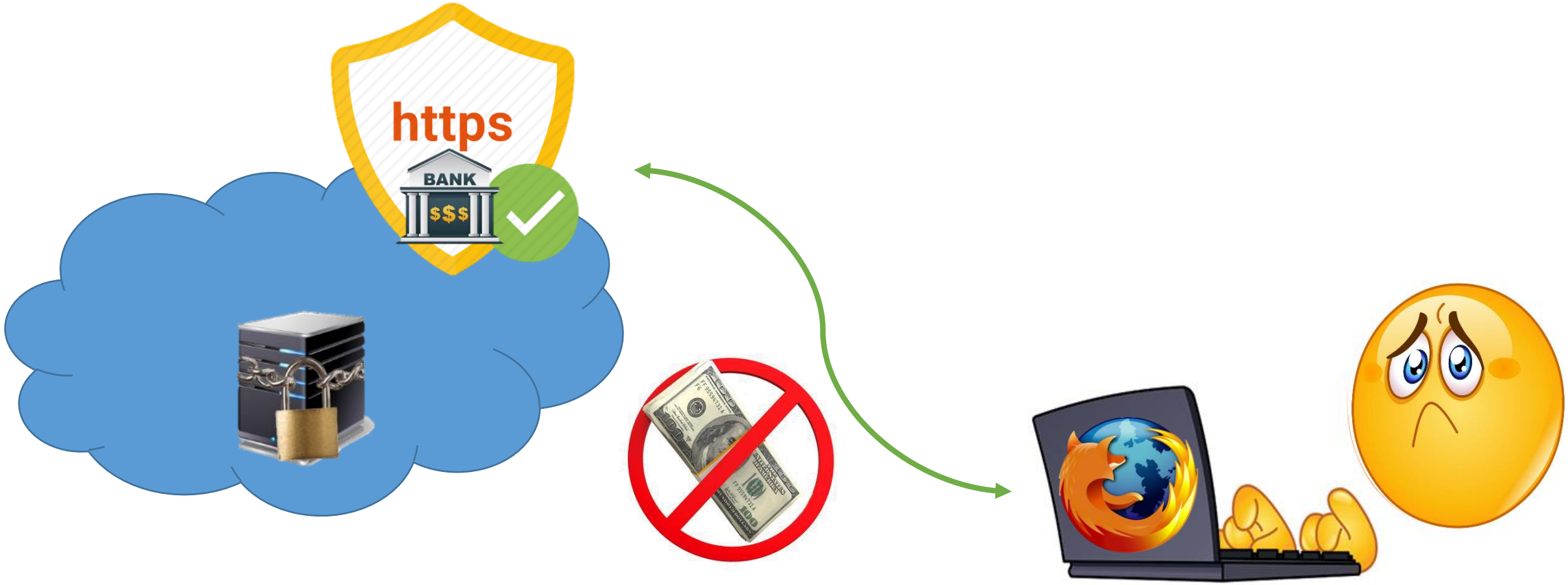

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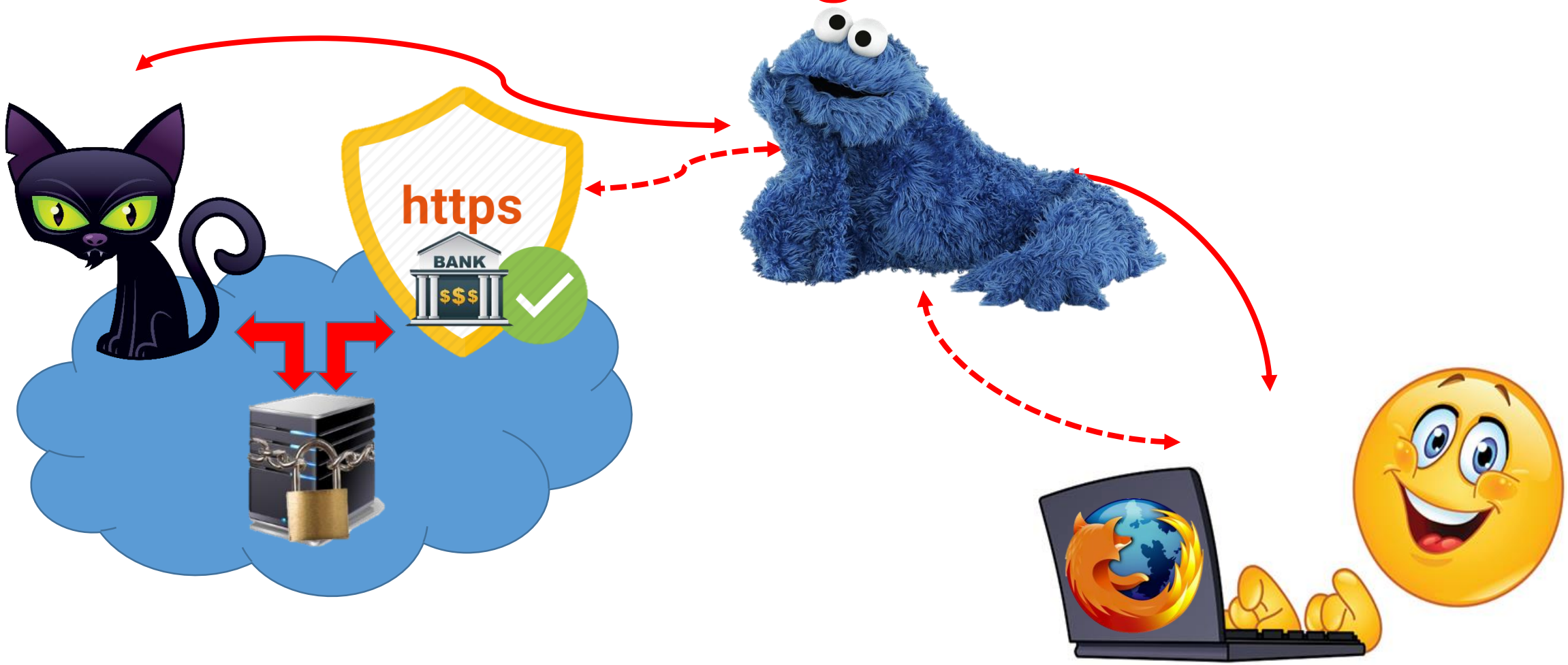

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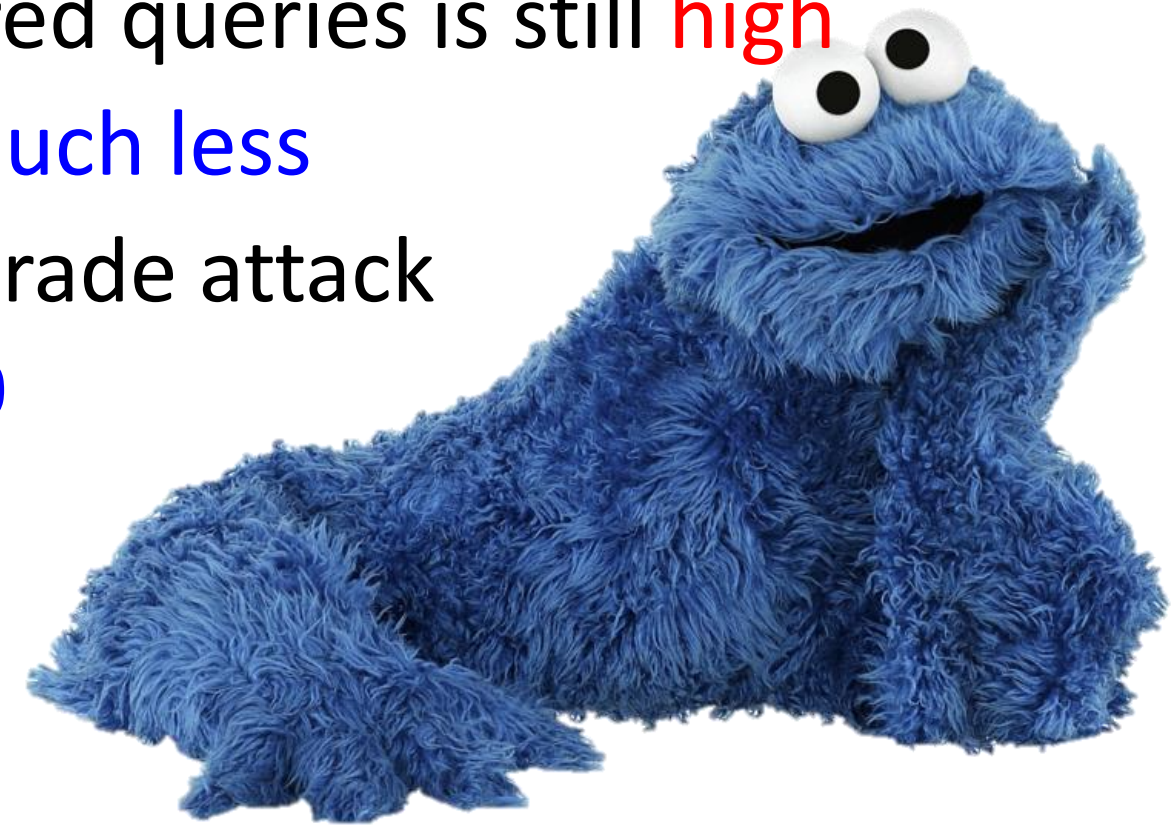

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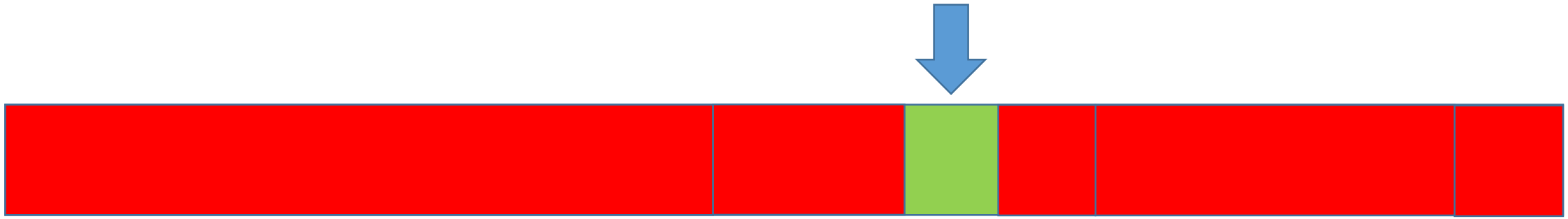

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OpenSSL API	M	FFTT	
Amazon s2n		FFFT	
MbedTLS	I	FFTT, FFFT*	
Apple CoreTLS			FFTT, FFFT, FFFF
Mozilla NSS	M	M, TTTT, FTTT*	FFFF
WolfSSL	M	M, FFTT	FFTT, FFFF
GnuTLS	M	M, TTTT, FFTT	FFTT, FFFT
BoringSSL		*Not Vulnerable*	
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  - PoC for Manger parallelization using LLL

Disclosure

- We disclosed to:
  - OpenSSL, Mozzila's NSS, Amazon's s2n, Apple's CoreTLS, mbed TLS, wolfSSL, GnuTLS
- All have patched their code, with various levels of success
- Lots of stories…

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